and the reduction rules

$$\begin{array}{cccc} \operatorname{fst} \langle M, N \rangle & \longrightarrow_{R} & M \\ & \operatorname{snd} \langle M, N \rangle & \longrightarrow_{R} & N \\ & (\lambda u : A. \ M) \ N & \longrightarrow_{R} & [N/u]M \\ \operatorname{\textbf{case}} \operatorname{inl}^{B} M \ \operatorname{\textbf{of}} \operatorname{inl} u \Rightarrow N_{1} \mid \operatorname{inr} w \Rightarrow N_{2} & \longrightarrow_{R} & [M/u]N_{1} \\ \operatorname{\textbf{case}} \operatorname{inr}^{A} M \ \operatorname{\textbf{of}} \operatorname{inl} u \Rightarrow N_{1} \mid \operatorname{inr} w \Rightarrow N_{2} & \longrightarrow_{R} & [M/w]N_{2} \\ & (\mu^{p} u : A. \ M) \cdot_{C} N & \longrightarrow_{R} & [N/u][C/p]M \\ & no \ rule \ for \ truth \\ & no \ rule \ for \ falsehood \end{array}$$

The expansion rules are given below.

$$\begin{array}{lll} M: A \wedge B & \longrightarrow_{E} & \langle \operatorname{fst} M, \operatorname{snd} M \rangle \\ M: A \supset B & \longrightarrow_{E} & \lambda u : A. \ M \ u \\ M: A \vee B & \longrightarrow_{E} & \operatorname{\mathbf{case}} M \ \operatorname{\mathbf{of}} \operatorname{inl} u \Rightarrow \operatorname{inl}^{B} u \mid \operatorname{inr} w \Rightarrow \operatorname{inr}^{A} w \\ M: \neg A & \longrightarrow_{E} & \mu^{p} u : A. \ M \cdot_{p} u \\ M: \top & \longrightarrow_{E} & \langle \rangle \\ M: \bot & \longrightarrow_{E} & \operatorname{abort}^{\bot} M \end{array}$$